Understanding Frequency Performance Specifications

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Overview

Electrical test instruments come with extensive specification manuals and data sheets that provide meas data. Those documents include timing and triggering constraints, DC and AC accuracy, and frequency documents to judge the spectral quality or frequency domain performance of oscillar waveform generators are flatness, spurious free dynamic range (SFDR), signal-to-noise ratio (SNR), tota (THD), signal-to-noise-and-distortion (SINAD) ratio, and effective number of bits (ENOB). Although all of specifications can be useful, SINAD and ENOB are the most comprehensive. Read on to learn more.

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1. Important Terms

Fourier Transform—A Fourier transform is a graphical representation of all frequency components that over a given period of time. The x-axis of a Fourier transform is in units of frequency. The y-axis of a Fourier transform is in units of frequency. The y-axis of a Fourier transform is in units of frequency.

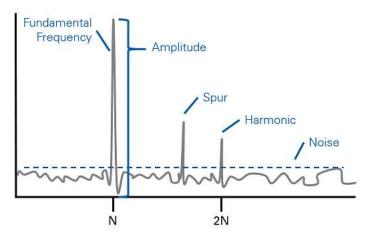


Figure 1. Many of the important terms to understand with frequency performance can be visualized to transform.

Amplitude—Amplitude refers to the voltage or current level of signals at a given frequency. In a Fourier amplitude refers to the height of the histogram in that particular frequency bin. **Power** can also be used t a given frequency or a integration of amplitudes over a given frequency range.

Fundamental Frequency—Also known as the **carrier frequency**, the fundamental frequency is the low component of a periodic signal. In an ideal Fourier transform of a sine wave, only the fundamental freque Most of the specifications below are generated using an almost ideal sine wave.

Harmonics – Harmonics, or harmonic frequencies, are frequencies that are integer multiples of the fund Harmonics are often not part of the actual signal, but appear due to Nyquist sampling theory and transmi An ideal square wave will appear as a set of all harmonics of the fundamental frequency on a Fourier tra

Spurs—Spurs, also known as device spurs, are frequency components that appear in signals because c components of the instrument. Some examples of spurs are interleaving anomalies in analog-to-digital colleakage of oscillator clock signals, and power inserted by amplifiers.

Noise—All voltage and frequency components that are not present in the actual or ideal signal, spurs, or present in the measurement or generation of test signals, are noise. Some common causes of noise are magnetic fields, temperature, and ground loops. The noise floor is the maximum Fourier transform amplit the device's frequency range.

Front End—The front end of an instrument is all components external to the converter including analog

2. Flatness

Flatness, or passband flatness, specifies the limits within which the amplitude of a signal varies througho operating frequency range and is usually expressed in decibels (dB). Flatness is important when measur a wide range of frequency components. As the frequency of any incoming waveform changes, the imped front end varies. Impedance is the sum of resistance and capacitance of a transmission path and change change in impedance affects the amplitude of signals, particularly higher bandwidth signals near the -3 d instrument's bandwidth. Figure 1 shows two signals: one is measured with an oscilloscope that has very flatness and the other is measured with an oscilloscope that has poor passband flatness.

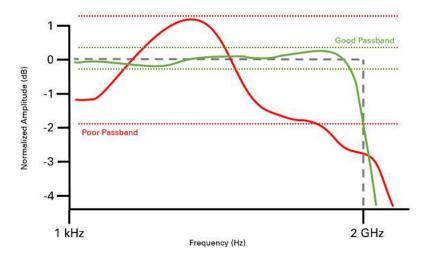


Figure 2. An instrument with good passband flatness (represented in green) would generate or measu consistent amplitude throughout the operating bandwidth. Some instruments have poor passband fla (represented in red) and have to be corrected.

Flatness, then, really describes how well the analog front end maintains the amplitude of incoming signal frequencies to the ADC of an oscilloscope or the outgoing signals from the digital-to-analog converter (D. waveform generator. Digital filtering and correction are implemented in many instruments to account for r frequency. A maximally flat front end passes all frequencies with the same amount of attenuation, which signal that can be easily correlated.

If an instrument has very good flatness performance, you can trust it to be accurate no matter the freque interest. Great flatness performance means no need for engineers to do correction on the instrument circ simple correlation of test results.

3. Spurious Free Dynamic Range

SFDR is the usable dynamic range before spurious noise interferes with or distorts the fundamental sign to calculate SFDR is the measure of the ratio in amplitude between the fundamental signal and the large DC to the full Nyquist bandwidth. The difference between the amplitude of the fundamental frequency an maximum spur is the dynamic range. SFDR is expressed in dBc (with respect to the carrier frequency an (with respect to the full scale of the ADC). Figure 2 shows a Fourier transform depicting the carrier frequency, of the signal as well as the spur with the most energy that defines the SFDR.

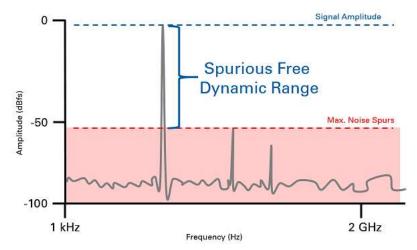


Figure 3. SFDR is a ratio of the signal fundamental frequency amplitude to the maximum amplitude Instruments with high SFDR can measure or generate a signal with high fidelity.

An instrument that has very low noise and device spurs is said to have very high dynamic range or a very means that a device with high SFDR can measure or generate a signal with very few effects from noise a

4. Signal-to-Noise Ratio

SNR is the ratio of the power of the input signal level to the power of the noise level and is usually express be calculated using the root mean square (RMS) value of the signal amplitude and the noise amplitude a 1.

$$SNR = \frac{Power_{Signal}}{Power_{Noise}} = \left(\frac{Amplitude_{Signal(RMS)}}{Amplitude_{Noise(RMS)}}\right)^{2}$$

Equation 1. SNR is the ratio of signal to noise power. The best approximation of SNR is using power of noise, but the most accurate calculation uses the RMS quantization of each.

When calculating SNR, the bandwidth of the signal should be specified. The larger the SNR specification instrument differentiates the signal from the noise in measurements and generations. Better definition of means better frequency and AC voltage or current performance and resolution of signals with low energy representation of SNR as it appears on a Fourier transform.

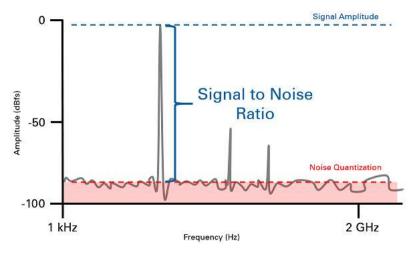


Figure 4. SNR shows how well signal frequency components will stand out from noise in a device's r generations, but does not account for the effects of device spurs.

5. Total Harmonic Distortion

The THD of a signal is the ratio of the sum of the powers of the first five harmonics to the power of the fu Equation 2 shows the calculation for THD where H is the amplitude of each harmonic and F is the amplit fundamental frequency.

$$THD = \frac{\sqrt{H_1^2 + H_2^2 + H_3^2 + H_4^2 + H_5^2}}{F}$$

Equation 2. THD is calculated by dividing the power of the first five harmonics of a signal by the powe frequency that appear in a measurement or generation.

THD can be expressed in dB, dBc, or percent. Measurements for calculating the THD are made at the or under specified conditions.

THD expresses the effect of high amplitude frequency components that are included in measurements o given signal frequency on the instrument. A device with high THD at a given frequency will be less accur effect of harmonics than at other frequencies or other instruments with lower THD.

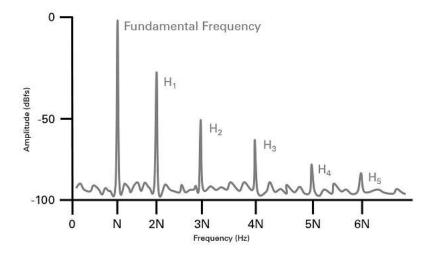


Figure 5. THD is particularly useful for lower frequency signals in which all of the five harmonics ar instruments operating frequency range. This figure shows what it looks like when all these THD frequency device passband.

6. Signal-to-Noise-and-Distortion

SINAD, also known as THD plus noise (THD+N), is the ratio of the RMS signal amplitude (set to 1 dB be RMS sum of all other spectral components. All other spectral components include the harmonics but exc useful approximation of SINAD is the power of the fundamental signal frequency, plus the power of devic noise divided by the power of noise plus the power of distortion, as shown in Equation 3.

$$SINAD = \frac{Power_{Signal} + Power_{Noise} + Power_{Distortion}}{Power_{Noise} + Power_{Distortion}}$$

Equation 3. The calculation of SINAD includes the power of frequency components in the signal of in distortion.

SINAD is usually expressed in dB. Figure 6 shows SINAD as represented in a Fourier transform.

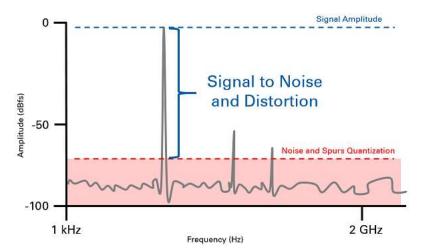


Figure 6. SINAD shows how well signal frequency components will stand out from noise and spu measurements and generations. Devices with large SINAD have more accurate frequency and am,

Although all of the specifications listed above can be useful, SINAD is the single most useful measure of performance because it accounts for all power of noise and spurs in the instrument's operating frequency with high SINAD can better differentiate the frequency components in the signal of interest from spurs an definition of the signal means more accurate frequency and AC voltage or current performance and reso low energy.

7. Effective Number of Bits

ENOB is a specification that relates measurement or generation performance of a device to a common s data converters: bits of resolution. Most data converters are designed to perform at a particular speed ar Instrument vendors have always used this design element to define the measurement resolution of their mentioned previously, no instrument is ideal, so performance specifications show how close a device is t calculated directly from SINAD using values for ideal ADC noise and spurs as shown in Equation 4. This how close to an ideal instrument the device is performing.

$$ENOB = \frac{SINAD - 10log_{10}\left(\frac{3}{2}\right)}{20log_{10}2} = \frac{SINAD - 1.76}{6.02}$$

Equation 4. ENOB is calculated directly from SINAD and is a specification that relates the instrument performance to the resolution specification on the front panel.

A device that has an ENOB specification very close to the resolution specification of the data converter u said to be well designed. For instance, an oscilloscope that uses a 14-bit ADC and has ENOB of 11.5 bit because it has effectively 2,896 bins to measure voltage levels (as opposed to 16,384). An 8-bit oscillosc is not a good instrument because it has effectively 16 bins to measure values (as opposed to 256).

8. Related Topics

- To learn more about oscilloscope sampling and Nyquist theory, visit Acquiring an Analog Signal: Banc Sampling Theorem, and Aliasing (http://www.ni.com/en-us/innovations/white-papers/06/acquiring-an-bandwidth--nyquist-sampling-theorem-.html).
- To learn more about arbitrary waveform generator fundamentals, visit Generating a Signal: Types of F DAC Considerations, and Other Common Terminology (http://www.ni.com/en-us/innovations/white-pa signal--types-of-function-generators--dac-considera.html).

9. Next Steps

- See the oscilloscopes NI has to offer (http://www.ni.com/digitizers/).
- Shop the All-in-1 instrument NI VirtualBench (http://www.ni.com/virtualbench/).
- See the arbitrary waveform generators NI has to offer (http://www.ni.com/signalgenerators/).